

Corrigendum to “Bases of translates and multiresolution analyses”  
 [Appl. Comput. Harmon. Anal. 24 (2008) 41–57]

The author would like to make the following corrections to his published article.

<i>Page Line</i>	<i>Where it says</i>	<i>Should say</i>
42 8	$\widehat{f}(\mathbf{x}) := \int_{\mathbb{R}^d} e^{-i2\pi\mathbf{t}\cdot\mathbf{x}} f(\mathbf{t}) dt$	$\widehat{f}(\mathbf{x}) := \int_{\mathbb{R}^d} e^{-i2\pi\mathbf{x}\cdot\mathbf{t}} f(\mathbf{t}) dt$
43 2	$\widehat{\psi}(2x) = e^{i2\pi x} \mu(2x) p(2\pi x + 1/2) \widehat{\varphi}(x)$	$\widehat{\psi}(2x) = e^{i2\pi x} \mu(2x) p(x + 1/2) \widehat{\varphi}(x)$
43 17, 18	called <i>Riesz sequence</i>	called a <i>Riesz sequence</i>
44 -9	$L^2(\mathbb{R}^d)$	$L^2(\mathbb{R}^d)$
45 -17	It follows that	It follows from [25, Theorem 2.3.6] that
46 4	$D_1^{\mathbf{A}} =$	$D_1^{\mathbf{A}}(\mathbf{t}) =$
47 14	$[1, n] \times \mathbf{J}$	$I(n) \times \mathbf{J}$
47 -21, -20	$\mathbf{k}$ is uniquely determined by $\mathbf{j}$ and $\mathbf{r}$	$\mathbf{k}$ uniquely determines $\mathbf{j}$ and $\mathbf{r}$
47 -13	Theorem 3 yields	Theorem 1(c) and Theorem 3 yield
49 19	$T(u)$	$S(u)$
50 12	Note that	Note that, except for a special case
51 -11	$V_j = \bigcup_{r < j} S(\mathbf{A}^r; \psi)$	$V_j = \sum_{r < j} S(\mathbf{A}^r; \psi)$
53 15	<i>orthonormal basis</i>	<i>orthonormal basis generator</i>
53 -6	$\mathbf{V}(\mathbf{x})$	$\widehat{\mathbf{v}}(\mathbf{x})$
54 4	$\mathbf{V}_\ell(\mathbf{x}) := (v_{\ell,1}(\mathbf{x}), \dots, v_{\ell, a }(\mathbf{x}))^T$	$\widehat{\mathbf{v}}_\ell(\mathbf{x}) := (\widehat{v}_{\ell,1}(\mathbf{x}), \dots, \widehat{v}_{\ell, a }(\mathbf{x}))^T$
54 6	$\mathbf{V}_\ell(\mathbf{x})$	$\widehat{\mathbf{v}}_\ell(\mathbf{x})$
54 -21	$\{\mu_1, \dots, \mu_n\}$	$\{\mu_1, \dots, \mu_m\}$
54 -13	$\{\mu_1, \dots, \mu_n\}$	$\{\mu_1, \dots, \mu_m\}$

On page 49 line 1 and line -20, the expression “ $\boldsymbol{\psi} = \{\psi_1, \dots, \psi_r\}$ ” is redundant and should be deleted.  
 On page 53 line -14, where it says  
 $\mathbf{V}(\mathbf{x}) := (v_{1,1}(\mathbf{x}), \dots, v_{1,|a|}(\mathbf{x}), \dots, v_{n,1}(\mathbf{x}), \dots, v_{n,|a|}(\mathbf{x}))^T$   
 should say  
 $\widehat{\mathbf{v}}(\mathbf{x}) := (\widehat{v}_{1,1}(\mathbf{x}), \dots, \widehat{v}_{1,|a|}(\mathbf{x}), \dots, \widehat{v}_{n,1}(\mathbf{x}), \dots, \widehat{v}_{n,|a|}(\mathbf{x}))^T$